

INDIRA UNIVERSITY, PUNE

SCHOOL OF INFORMATION TECHNOLOGY- BSC DS

Backlog Examination (2025 Pattern) April/ May – 2026 - Semester – I

Subject Name: Computational Mathematics
Subject Code: 25BDS109T

Max. Marks: 25
Time: 1:30 Hrs.

Instructions

- All Questions are Compulsory.

CO #	Cognitive Ability	Course Outcome
CO1	Remember	Recall Fundamental concepts and terminologies of computational mathematics.
CO2	Understand	Explain mathematical principles and relationships used in computational problem solving.
CO3	Apply	Apply suitable method to solve computational & mathematical problems.

Q1.	Attempt any 5 out of 7. (1 mark each) (5 Marks) a. Find row echelon form of a matrix $\begin{bmatrix} 1 & 2 \\ 2 & 4 \end{bmatrix}$. b. State whether the following statement is True or False: “Identity matrix is a singular Matrix.” c. Define Rank of a matrix. d. Define Function. e. Find the eigenvalues of an identity matrix of order 3 x 3. f. Define Conjunctive Normal Form (CNF). g. State the standard basis vectors for $\mathbb{R}^2$.	CO1
Q2.	Attempt any 2 out of 4. (5 mark each) (10 Marks) a. Find the eigenvalues and eigen vectors of the matrix $A = \begin{bmatrix} 2 & 0 \\ 3 & 1 \end{bmatrix}$. b. Reduce the following matrix into row echelon form: $A = \begin{bmatrix} 1 & 2 & 3 & 4 \\ 5 & 6 & 7 & 8 \\ -1 & -2 & -3 & -4 \end{bmatrix}$	CO2

	c. Use the Gaussian Elimination method to solve the following system of equations: $x + 2y = 3$ $3x + 4y = 7$ d. Write down the transitive closure of $R = \{(1,2), (2,2), (2,4), (3,2), (3,4), (4,1)\}$, a relation defined on set $A = \{1, 2, 3, 4\}$, by using Warshall's Algorithm.	
Q.3.	a. Use the Cramer's Rule to solve the following system of equations: (5 Marks) $x + y + z = 3$ $x + y - z = 1$ $x - y - z = 1$ b. Show that the set $S = \{(1, 1, 1), (2, 2, 2), (3, 3, 4)\}$ is linearly dependent. (5 Marks) OR	CO3
Q.3.	Let $V = \mathbb{R}^+$ be the set of all positive real numbers. Define addition and scalar multiplication as follows: - Addition: For any $x, y \in V$, define $x + y = x \times y$ (usual multiplication). - Scalar multiplication: For any scalar $k \in \mathbb{R}$ and $x \in V$, define $kx = x^k$. Show that V is a vector space over $\mathbb{R}$. (10 Marks)	
